Geometry/Trigonometry	Name:
Unit 10: Surface Area and Volume of Solids Notes	Date:
	Period:

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## Geometry Notes 12.1 Exploring Solids

Α	is a solid that is bour	nded by polygons cal	lled	, that
enclose a single region of	space.			
An of a	a polyhedron is a		formed	d by the
of a				meet
ΑΟΓά				meet.
tetrahedron cube	octabedron			
dodecahedran icoa	athedron			
		ese are Polyhedrons	i	
These are NOT Po	lyhedrons			
Theorem 12.1 – Euler's Th related by	neorem: The number o F + V =		(V), and edges (E)	of a polyhedron is
The of a	polyhedron consists c	of	on its	·
A polyhedron is by a line	if any tha	at lies entirely	on its surface	can be the polyhedron.
Vershedran	Octahedron Cube		X	
NonConvex Polyh				
A polyhedron is	if all its faces are			and the
	ā	at each vertex in		. <u> </u>
Octahedran Cube (Hexahedran)				
Tetrahedron	There are only			
of regular polygon and wi		is one who		
of regular polygon and wh	1056		2	-
Geometry Notes 12.2 Sur	face Area of Prisms ar	<u>nd Cylinders</u>		
A is a faces called	- <b>()</b>	lyhedron that has _		

by connec	faces, called ting corresponding vertices of the bases.  T ding vertices are	The			
The	, or height, of a prism is the			between	
In a	, each	is	to	both	÷
	that have lateral edges that are			to the bases are ob	lique prisms.
The	of the		is the		of the prism.
	are classified by				
The	of a polyhedron is the		_of the	of its	·

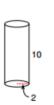
Theorem 12.2 – The Surface Area of a Right Prism: S = 2B + Ph, where B is the area of a base, P is the perimeter of a base and H is the height.

E1.	P1.
9 6.9	15 5 16

A circular cylinder	r (or simply) is a solic	l with	that lie	e in
The	_, or height, of a cylinder is the	2	b	etween its
The	of a cylinder is the	of its		·
A cylinder is	if the	of its	is	to its bases.

Theorem 12.3 – Surface Area of a Right Cylinder: S = 2B + Ch, where B is the area of a base, C is the circumference of a base, r is the radius of a base, and h is the height. Or  $S = 2\pi r^2 + 2\pi rh$ 

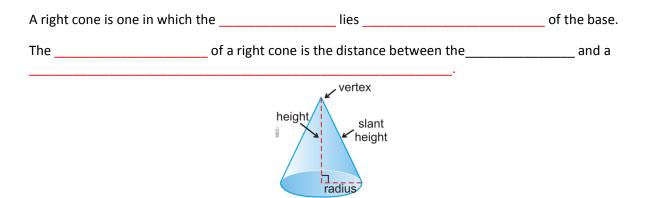
E2.



Ρ2.



<u>Surface Area of Pyramids and Cor</u>	<u>1es</u>		
a polyhedron in which the	а	nd the	are
at have a common vertex.			
of two lateral faces is a	·		
of the base and a lateral face i	is a	·	
, or height, of the pyramid is the _		between the	and
Square Pyramid			
Slant Height	titude		
Hexagonal Pyramid	Height		
if its	is a	ar	id if the
of a regular pyramid is		of any	
		/	
and <i>I</i> is the slant height.	L	B is the area of the	base, P is the
	20	26	
			I
consists of all	t	hat connect	
with points on the	·		
			between
	a polyhedron in which the at have a common vertex. of two lateral faces is a of the base and a lateral face is , or height, of the pyramid is the Square Pyramid fill fill fill fill fill fill fill fill fill fill fill fill 	a polyhedron in which the a at have a common vertex. of two lateral faces is a of the base and a lateral face is a or height, of the pyramid is the Square Pyramid Altitude Hexagonal Pyramid If its is a of a regular pyramid is fas no slant height. e Area of a Regular Pyramid: $S = B + \frac{Pl}{2}$ , where and <i>l</i> is the slant height. P1. 1.9 P1.	a polyhedron in which the and the at have a common vertex. of two lateral faces is a of the base and a lateral face is a or height, of the pyramid is the between the <b>Square Pyramid</b> <b>Height</b> <b>If its</b> is a of the base is if its is a of any of a regular pyramid is of any of a regular pyramid is of any has no slant height. e Area of a Regular Pyramid: $S = B + \frac{Pl}{2}$ , where B is the area of the and / is the slant height. 1.9



Theorem 12.5 – Surface Area of a Right Cone:  $S = \pi r^2 + \pi r l$ , where r is the radius of the base and *l* is the slant height of the cone.

E2.



Ρ2.



## **Geometry Notes 12.4 Volume of Prisms and Cylinders**

One can think of the	_ of a polyhedron as the number of
contained in its	·

Volumes are measured in \_\_\_\_\_\_.

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Postulate 25 – Volume of Cube Postulate: The volume of a cube is the cube of the length of its side, or V = s^3
```

E1.



Postulate 26 – Volume Congruence Postulate: If two polyhedrons are congruent then they have the same volume.

Postulate 27 – Volume Addition Postulate: The volume of a solid is the sum of the volumes of all its nonoverlapping parts.

Theorem 12.5 - Cavalieri's Principle: If two solids have the same height and the same cross-sectional area at every level, then they have the same volume.



Theorem 12.7 – Volume of a Prism: V = Bh, where B is the area of the base and h is the height.



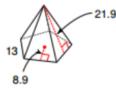
Theorem 12.8 – Volume of a Cylinder: V = Bh, where B is the area of a base, h is the height and r is the radius of the base. Or  $V = \pi r^2 h$ .



## **Geometry Notes 12.5 Volume of Pyramids and Cones**

Theorem 12.9 – Volume of a Pyramid:  $V = \frac{1}{3}Bh$ , where B is the area of the base and h is the height.







Theorem 12.10 – Volume of a Cone:  $V = \frac{1}{3}Bh$ , where B is the area of the base, h is the height, and r is the radius of the base. Or  $V = \frac{1}{3}\pi r^2 h$ 

E2.



P1.





These theorems \_\_\_\_\_\_ to all pyramids and cones, both regular and \_\_\_\_\_\_.

## Geometry Notes 12.6 Surface Area and Volume of Spheres

A is the set of all points in a point called the		that are a given distance, r, from		
	, is the	of the sphere.		
The term	also refers to an	ıy	whose	are
the	of the sphere and a		·	
Α	of a sphere is a	whose	are	·
A	_ of a sphere is a	that contains its		
	of a sphere have the liameter is twice the radius		d this length is called th	e sphere's
If a	a sphere, the	will either l	be a single o	or a
If the the sphere.	_ contains the of a s	phere, then the	is a	of
Each	of a sphere	_ a sphere into two c	ongruent halves called	·
Theorem 12.11	– Surface Area of a Sphere: S =	$=4\pi r^2$ , where r is the	radius	
E1.	12 cm	P1.	3 ft	
Theorem 12.12	– Volume of a Sphere: $V = \frac{4}{3}\pi r$	<sup>~3</sup> , where r is the radi	us	
E1.	12 cm	P1.	3 ft	
<u>Geometry Note</u>	s 12.7 Similar Solids			11
	if the			8 cm
	(such as height or	radii) are	<u> </u>	
This common solid.	is called the	of one s	olid to the other	
Any two cubes a	are similar and so are any two s	pheres.		

, , ,

Theorem 12.13 - If two solids are similar with a scale factor of a: b, then the corresponding areas have a ratio of  $a^2: b^2$  and corresponding volumes have a ratio of \_\_\_\_: \_\_\_: